

SISTEM KONTROL PESAWAT

tirto

Kumpulan peralatan mekanik & elektronik yang memungkinkan pesawat diterbangkan dengan presisi

Yang terdiri dari

- Kontrol permukaan
- Kokpit
- Komputer
- Sensor
- Akuator



Manuver pesawat dilakukan dengan mengendalikan kontrol permukaan, yang terdiri dari...

○ aileron
Untuk manuver

rudder
Untuk berbelok

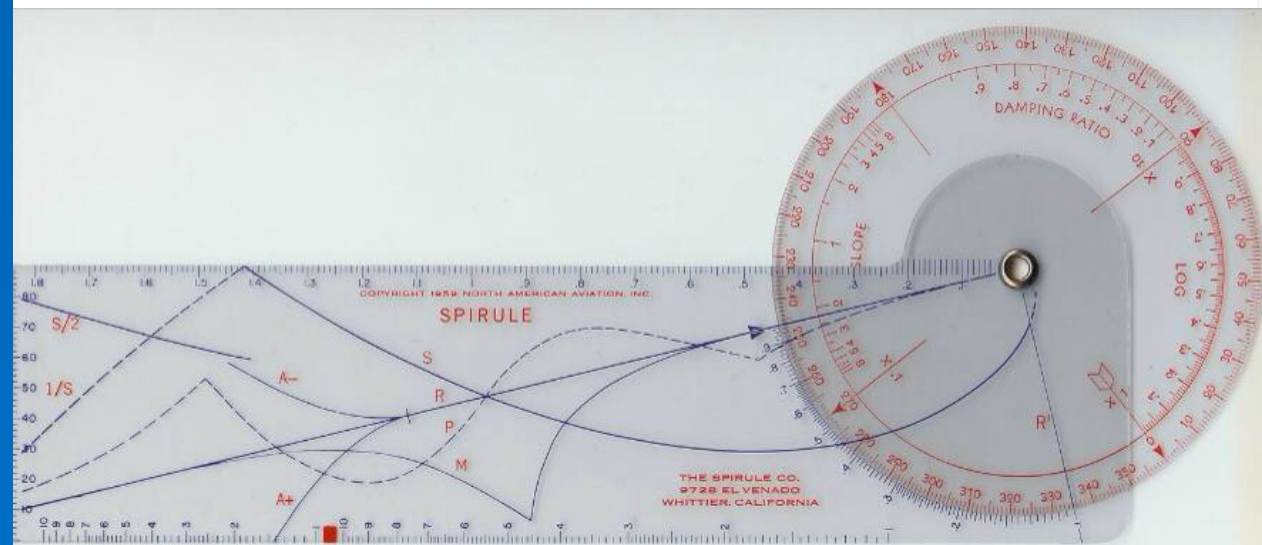
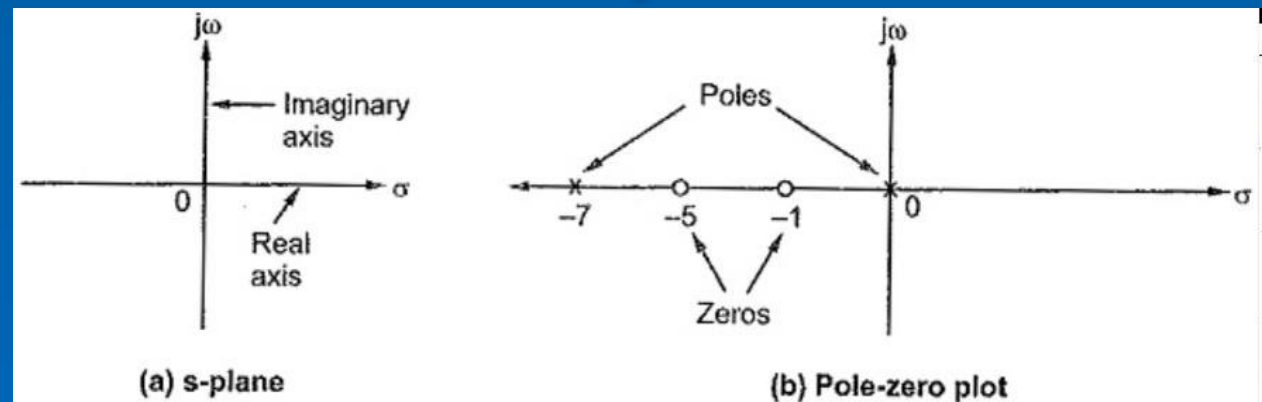
○ elevator
Untuk manuver naik-turun

216D4122

DASAR SISTEM KENDALI

MODUL 3 ISTILAH-ISTILAH KHUSUS

Sub-Modul 3C: Order, Pole dan Zero

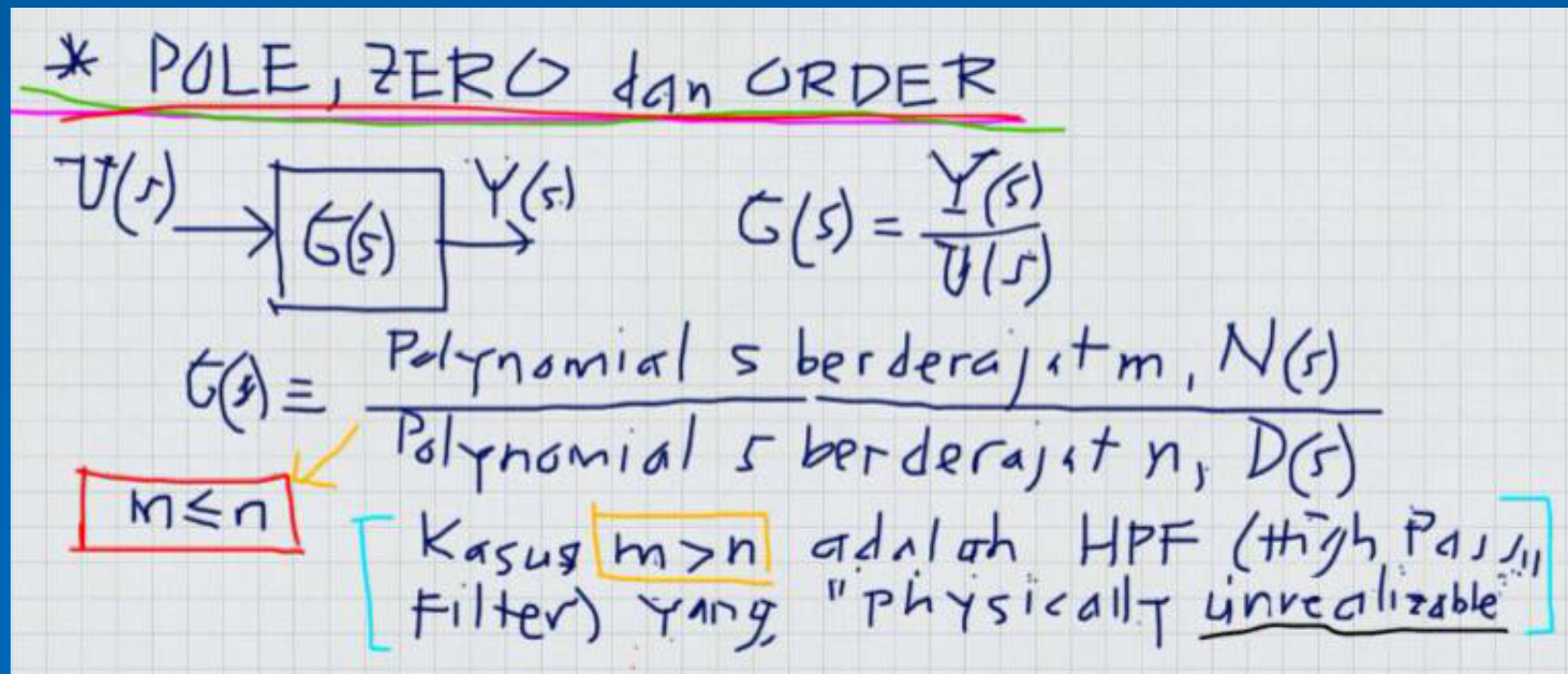


(versi kuliah DARLING = semi-DARing semi-LurING)

Semester Akhir 2020-2021

SUMBER Materi Ajar

Sumber Lengkap: https://web.unhas.ac.id/rhiza/arsip/kuliah/Dasar-Sistem-Kendali/Catatan-Kuliah-2015/Catatan_Kuliah_Dasar_Sistem_Kendali_2015.pdf



web.unhas.ac.id

Index of /rhiza/arsip/kuliah/Dasar-Sistem-Kendali/Catatan-Kuliah-2015

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- Mulai dari: <https://web.unhas.ac.id/rhiza/arsip/kuliah/Dasar-Sistem-Kendali/Catatan-Kuliah-2015/Kuliah-DSK-2015-05112015-1.pdf> tertanggal **07-Nov-2015** jam **04:12** dan selanjutnya.....

Order, Pole dan Zero

Tugas MANDIRI (tidak dikumpul), gunakan fasilitas **Google Search** untuk melakukan penelusuran dengan kata-kunci istilah-istilah khusus berikut ini.

3 (tiga) ISTILAH-2 KHUSUS

yang sering digunakan dalam analisis dan desain **SISTEM KENDALI**, yang sama sekali berbeda artinya jika dilihat dalam KAMUS, yaitu:

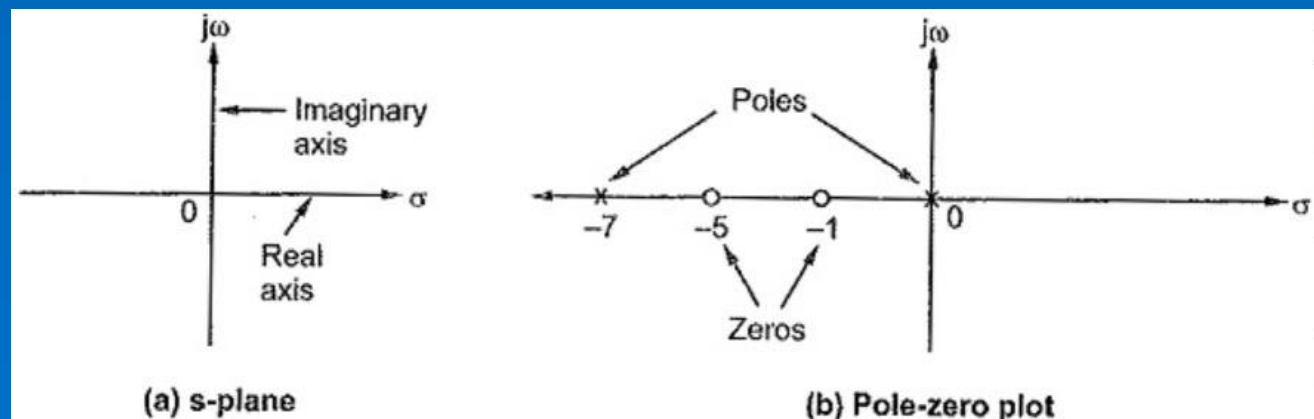
- **Order** dari SISTEM
- **Pole(s)**
- **Zero(s)**

ketiganya **TERKAIT** dengan Model **NISBAH ALIH** dari **SISTEM**.

Poles and Zeros

$$H(s) = K \frac{\prod_{i=1}^m (s - z_i)}{\prod_{i=1}^n (s - p_i)}$$

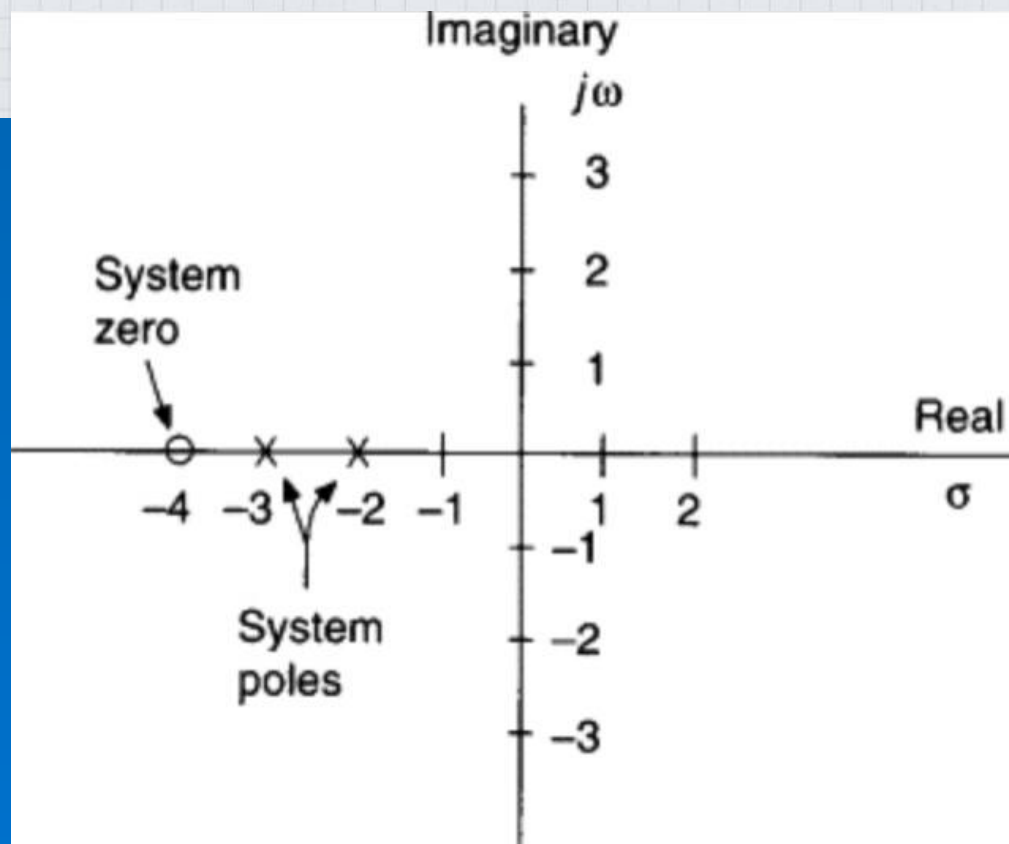
- K is the transfer gain
- The roots of numerator is called zeros of the system. Zeros correspond to signal transmission-blocking properties.
- The roots of denominator are called poles of the system. Poles determine the stability properties and natural or unforced behavior of the system.
- Poles and zeros can be complex quantities.
- $z_i = p_i$, cancellation of pole-zero may lead to undesirable system properties.



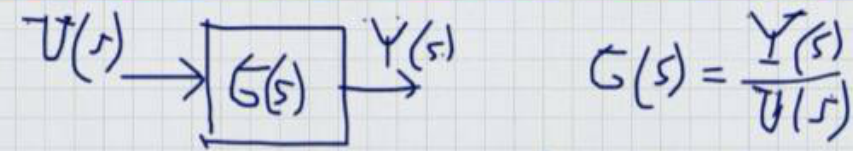
Apa itu ORDER dari SISTEM ?

Terkait dengan konfigurasi dasar:

- ⇒ Order dari sistem kendali sesuai dengan jumlah pole $G(s)$ + jumlah pole $H(s)$ pengendali kendali
- ⇒ Pole dan zero dari OLTF $G(s)H(s)$ adalah pole dan zero dari masing-masing $G(s)$ dan $H(s)$
- ⇒ Pole dari CLTF $G_T(s)$ adalah akar-akar pers. karakteristik $1 + G(s)H(s) = 0$



* POLE, ZERO dan ORDER



$$G(s) = \frac{\text{Polynomial } s \text{ berderajat } m, N(s)}{\text{Polynomial } s \text{ berderajat } n, D(s)}$$

$$m \leq n$$

Kasus $m > n$ adalah HPF (High Pass Filter) yang "physically unrealizable"

$$N(s) = b_m s^m + b_{m-1} s^{m-1} + b_{m-2} s^{m-2} + \dots + b_1 s + b_0$$

$$D(s) = a_n s^n + a_{n-1} s^{n-1} + a_{n-2} s^{n-2} + \dots + a_1 s + a_0$$

$m \leq n$, koefisien $a_0, \dots, a_n, b_0, \dots, b_m \in \text{Real}$

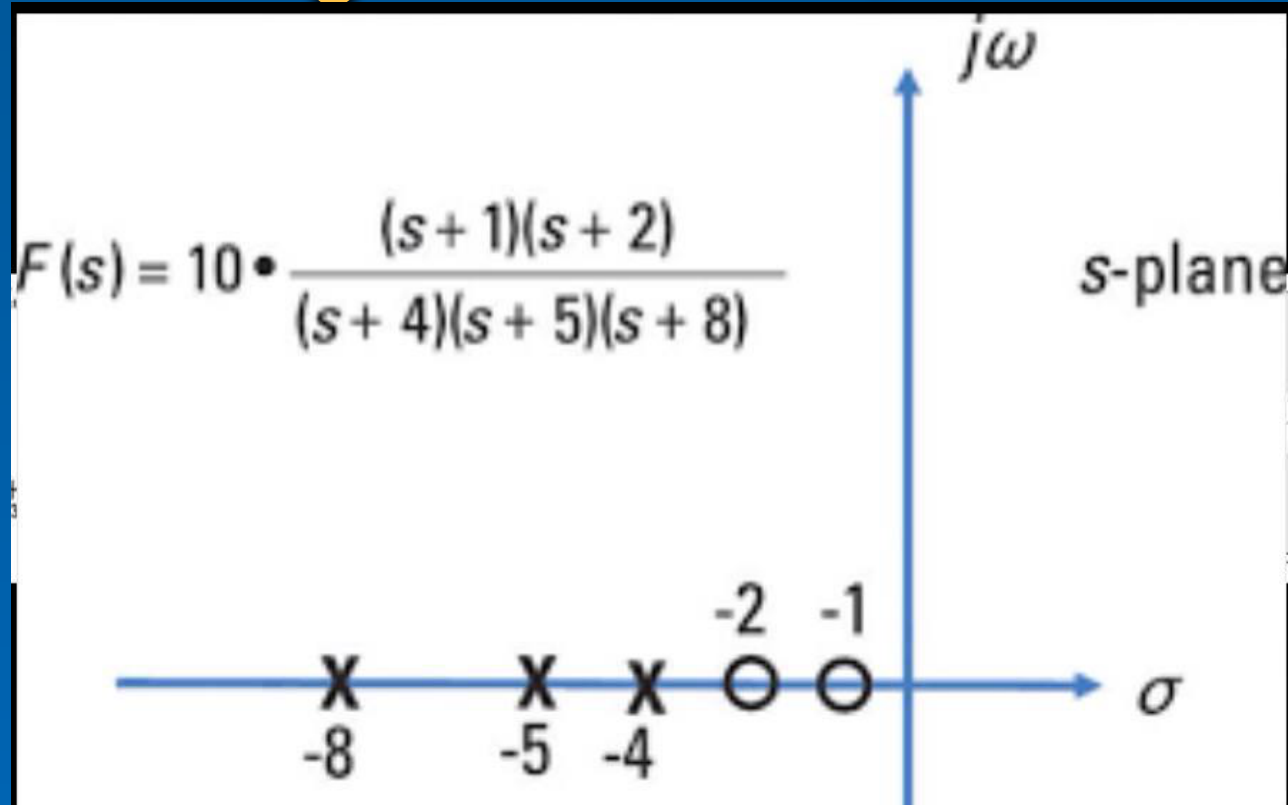
- * Akar² pers. $N(s) = 0$ disebut ZERO, z_1 s/d z_m
- * Akar² pers. $D(s) = 0$ disebut POLE, p_1 s/d p_n

POLE dan ZERO dapat dipetakan pada BIDANG KOMPLEKS masing² dengan notasi x untuk pole dan o untuk zero

* ORDER dari $G(s)$ adalah order ke-n

⇒ * Order dari $G(s)$ sesuai dengan jumlah pole-nya

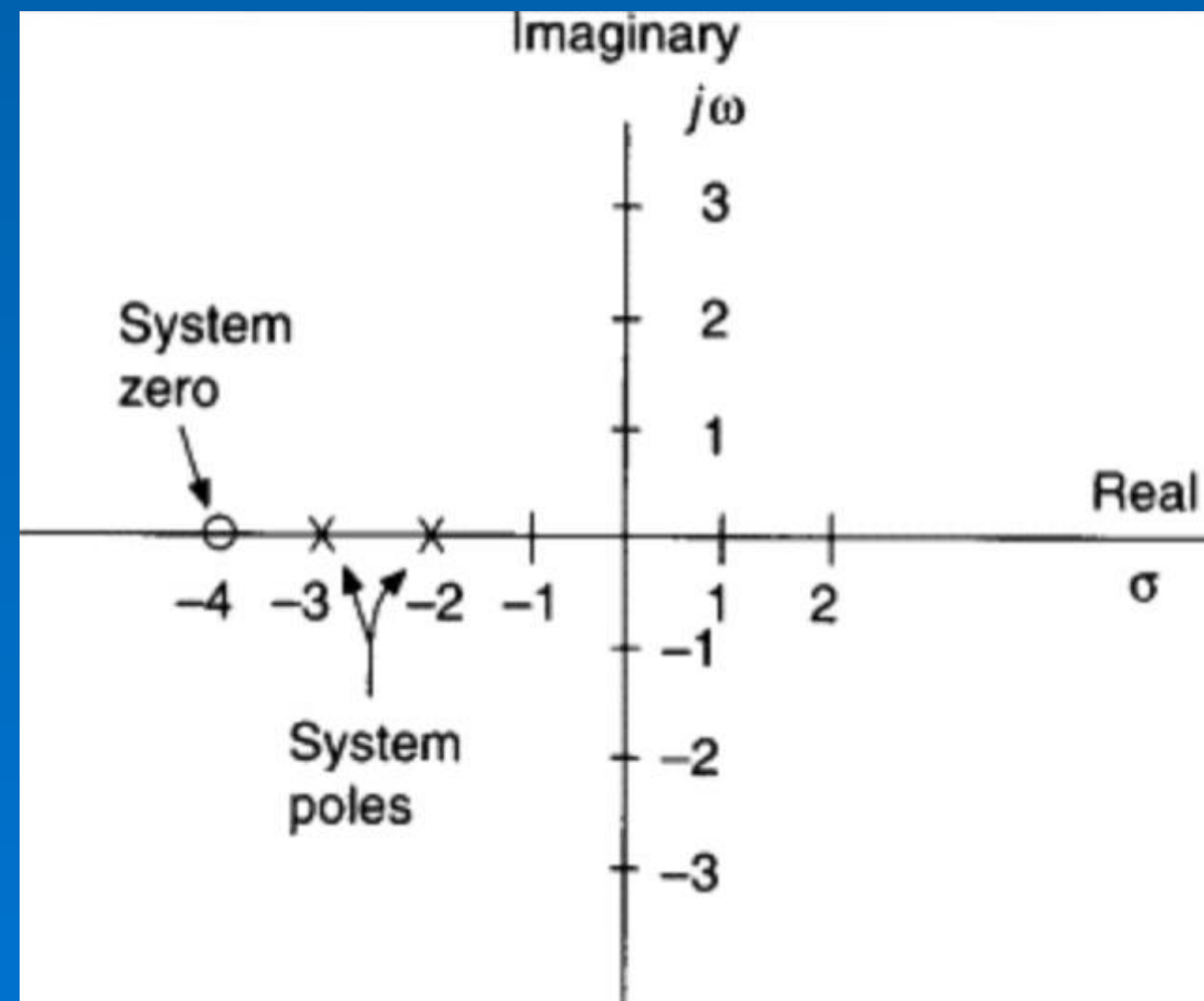
Hubungan antara Order, Pole dan Zero



Contoh Nisbah Alih Sistem **Order Ketiga**



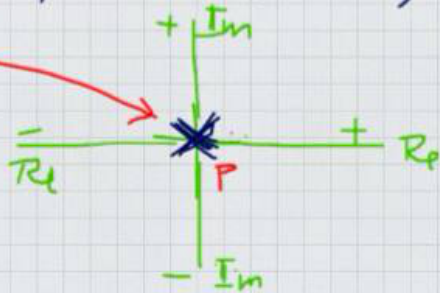
Contoh Nisbah Alih Sistem **Order Kedua**



CONTOH SOAL

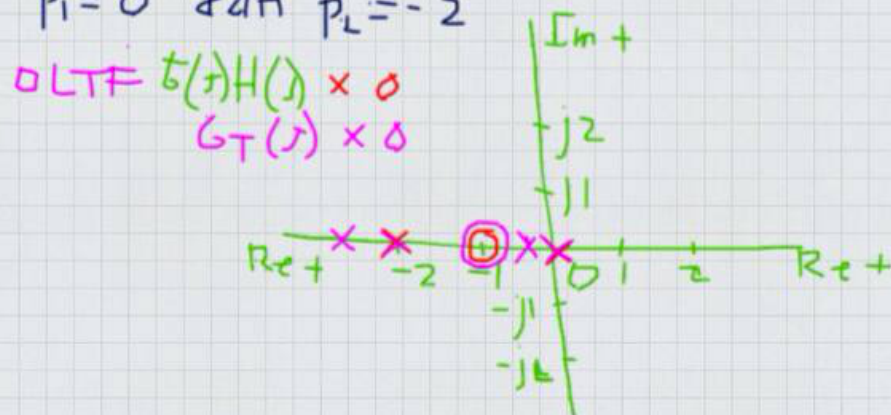
Contoh: Suatu sistem kendali mempunyai
Kendali $G(s) = \frac{1}{s}$ dan $H(s) = \frac{s+1}{s+2}$
(phase compensator) sebagai pengent
datannya

* $G(s)$ sistem order pertama (1st order)
yg tidak punya zero, dengan pole
 $p=0$



* $H(s)$ adalah sistem order pertama
dengan ZERO $z=-1$, dan POLE $p=-2$

* OLTF $G(s)H(s)$ adalah sistem order
kedua, dengan $z=-1$, dan 2 POLE-nya
 $p_1=0$ dan $p_2=-2$



Poles and Zeros

$$H(s) = K \frac{\prod_{i=1}^m (s - z_i)}{\prod_{i=1}^n (s - p_i)}$$

- K is the transfer gain
- The roots of numerator is called zeros of the system. Zeros correspond to signal transmission-blocking properties.
- The roots of denominator are called poles of the system. Poles determine the stability properties and natural or unforced behavior of the system.
- Poles and zeros can be complex quantities.
- $z_i = p_i$, cancellation of pole-zero may lead to undesirable system properties.

* CLTF $G_T(s) = \frac{G(s)H(s)}{1 + G(s)H(s)}$ sistem kendali dengan KOMPENSATOR

$$= \frac{\frac{1}{s} \cdot \frac{s+1}{s+2}}{1 + \frac{1}{s} \cdot \frac{s+1}{s+2}} = \frac{s+1}{s^2 + 2s + s + 1} = \frac{s+1}{s^2 + 3s + 1}$$

mempunyai 1 zero $z = -1$
2 pole : $p_{1,2} = \frac{-3 \pm \sqrt{9-4}}{2} = \frac{-3 \pm \sqrt{5}}{2}$

$$p_1 = -1,5 + 1,118 = -0,382$$

$$p_2 = -1,5 - 1,118 = -2,618$$

akar $\approx$ pers. karakteristik $1 + G(s)H(s) = 0$

Pengendali PID

* Pengendali PID

P = Proportional
I = Integral
D = Differential

$$H(s) = K_p + \frac{K_I}{s} + K_D s$$

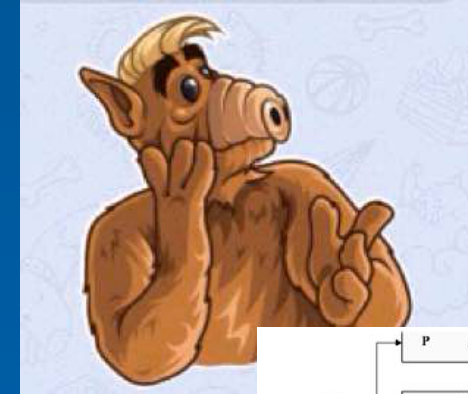
* $K_D = 0$ $\rightarrow$ PI $\rightarrow H(s) = \frac{K_p s + K_I}{s}$ order pertama
p = 0
z = - $\frac{K_I}{K_p}$

* $K_I = 0$ $\rightarrow$ PD $\rightarrow H(s) = K_p + K_D s \rightarrow m > n$

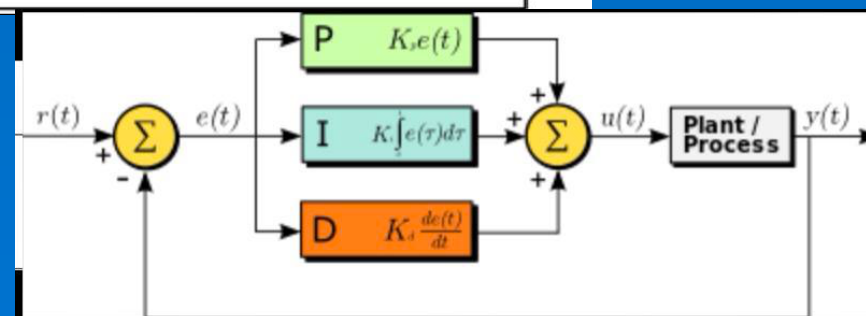
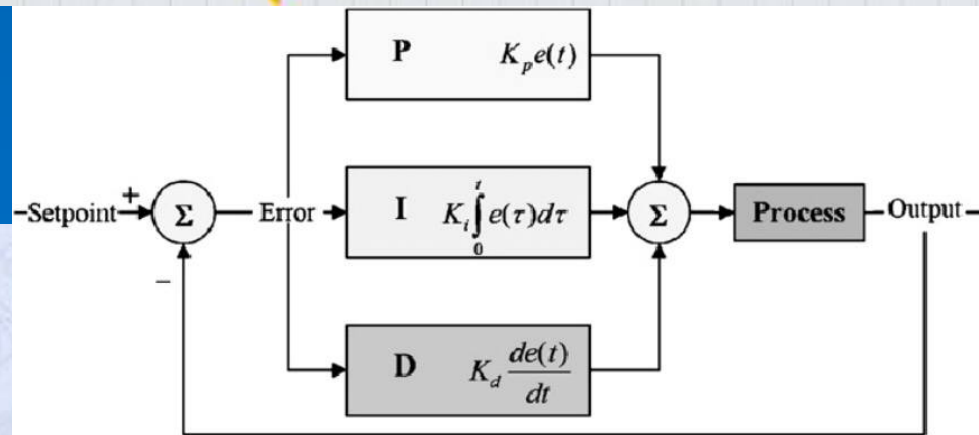
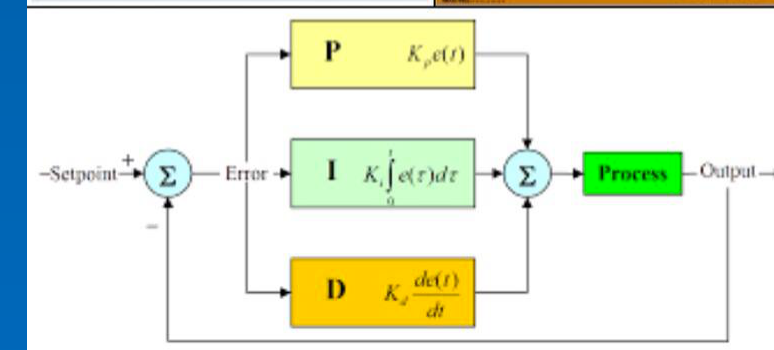
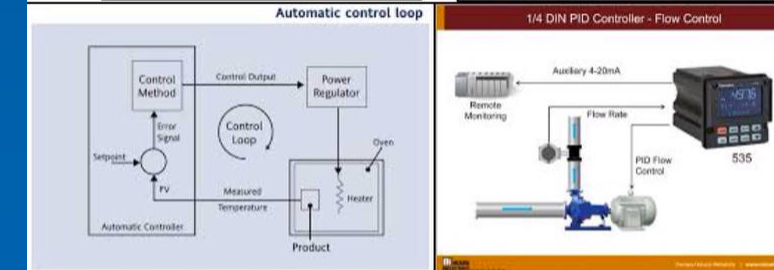
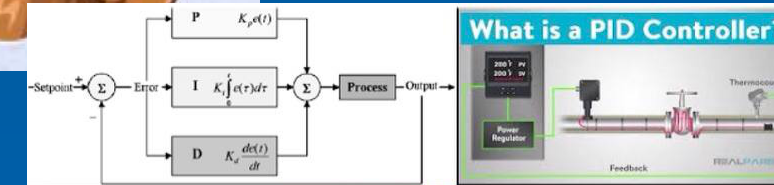
* $K_D = K_I = 0$ $\rightarrow$ P $\rightarrow H(s) = K_p \rightarrow$ order nol

* $\{K_p, K_I, K_D\} \neq 0$ $\rightarrow$ PID $\rightarrow H(s) = \frac{K_p s + K_I + K_D s^2}{s}$

Order Pertama. $m > n \rightarrow 2$ zero
1 pole
G(s) minimal: $G(s) = \frac{1}{s}$



PID Controller



Sistem-sistem Order PERTAMA



First-Order Systems

- Are measurement systems with storage elements that can't respond immediately to a change in input.
- In general, systems with a storage or dissipative capability but negligible inertial forces can be modeled by a 1st order differential equation (ODE).

$$a_1 \dot{y} + a_0 y = F(t)$$

$$\tau \dot{y} + y = KF(t) \quad \text{where } K = \frac{1}{a_0}$$

$$\tau = \frac{a_1}{a_0} = \text{time constant}$$

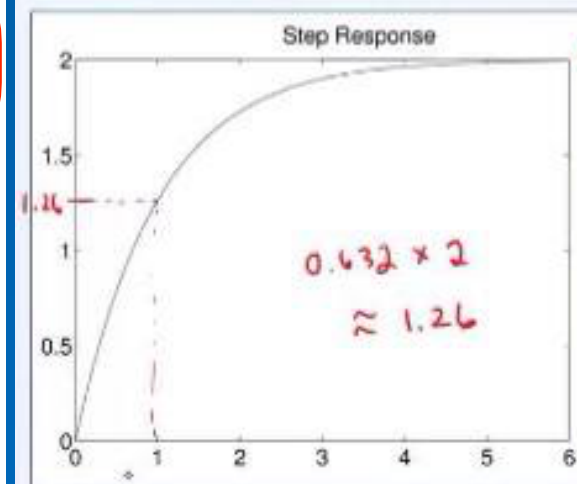
$\tau = \text{"tau"}$

- The time constant, τ , is the measurement of the speed of system response to an input.
- The smaller the value of τ , the faster the system response.

Example

match form $\frac{K}{\tau s + 1}$

- Determine the TF of the system that produced the following output in response to a unit step input.



* Sistem² order pertama:

$\Rightarrow G(s) = \frac{1}{s}$, integrator

$\Rightarrow G(s) = \frac{1}{s+a}$, lagging, (simple lag)

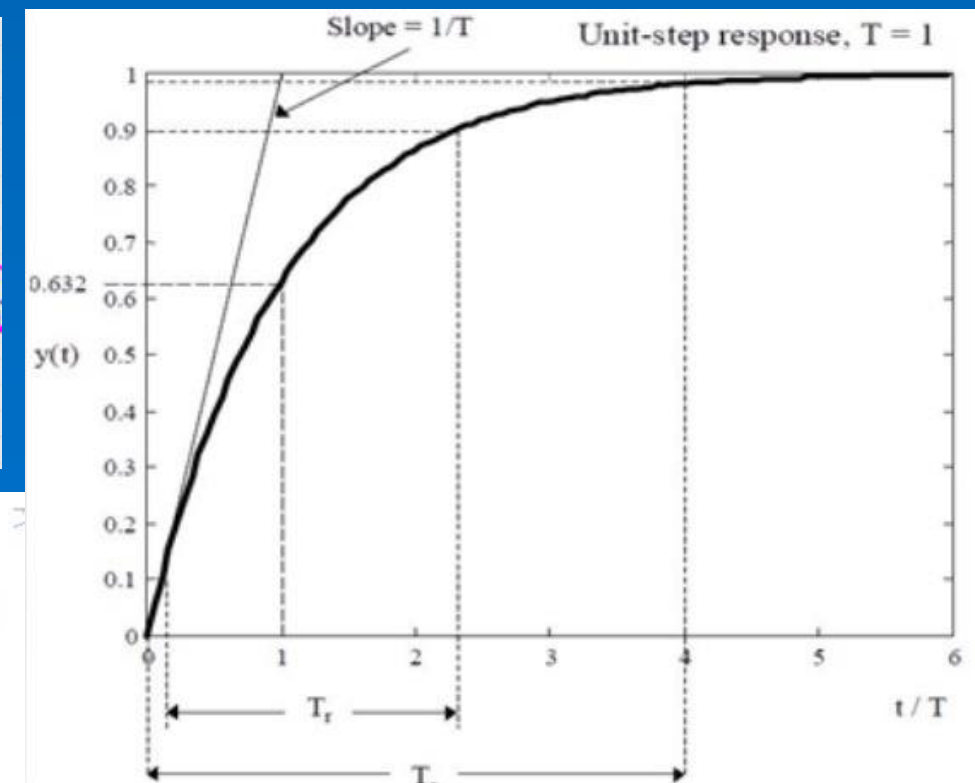
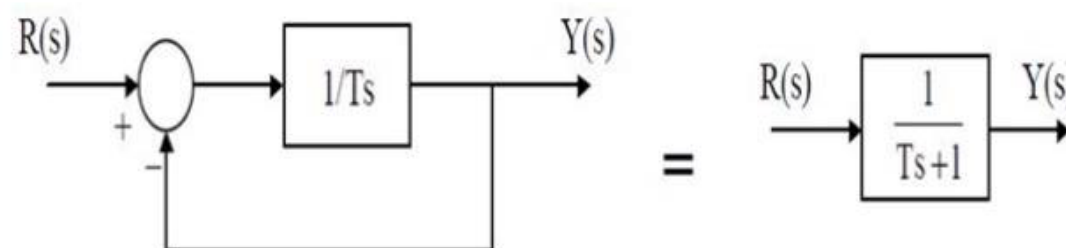
$\Rightarrow G(s) = \frac{s+a}{s+b}$, phase compensator

$a < b \Rightarrow \text{phase-lag}$

$a > b \Rightarrow \text{phase-lead}$

$\tau = \frac{1}{a}$ time constant

$\tau = \text{"tau"}$



Sistem-sistem Order KEDUA

* Sistem order kedua:

⇒ $G(s) = \frac{1}{s^2}$, double integrator

⇒ $G(s) = \frac{1}{s(s+a)}$, simple (lag + integrator)

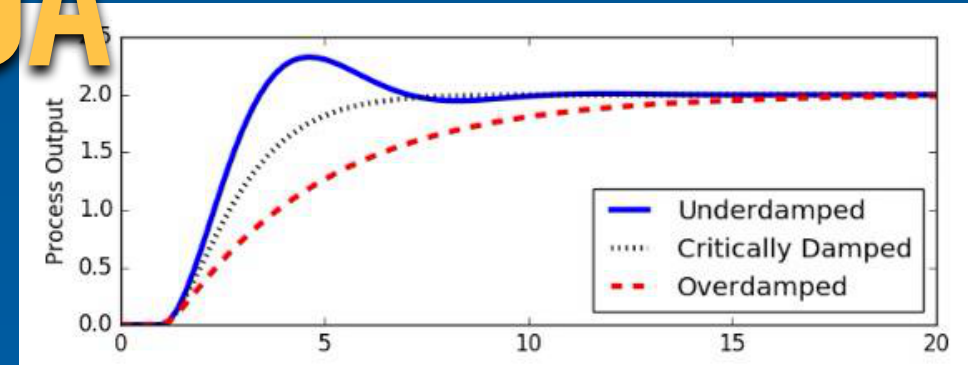
Bentuk Umum Sistem Order Kedua

$$G(s) = \frac{K}{s^2 + 2\xi\omega_n s + \omega_n^2}$$

ξ : zeta : nisbah redaman (damping ratio)

ω_n : omega n : frekuensi (rad/sec) alamiah tak teredam (undamped natural frequency)

Sistem Order Kedua karakteristiknya tergantung pada nilai ξ



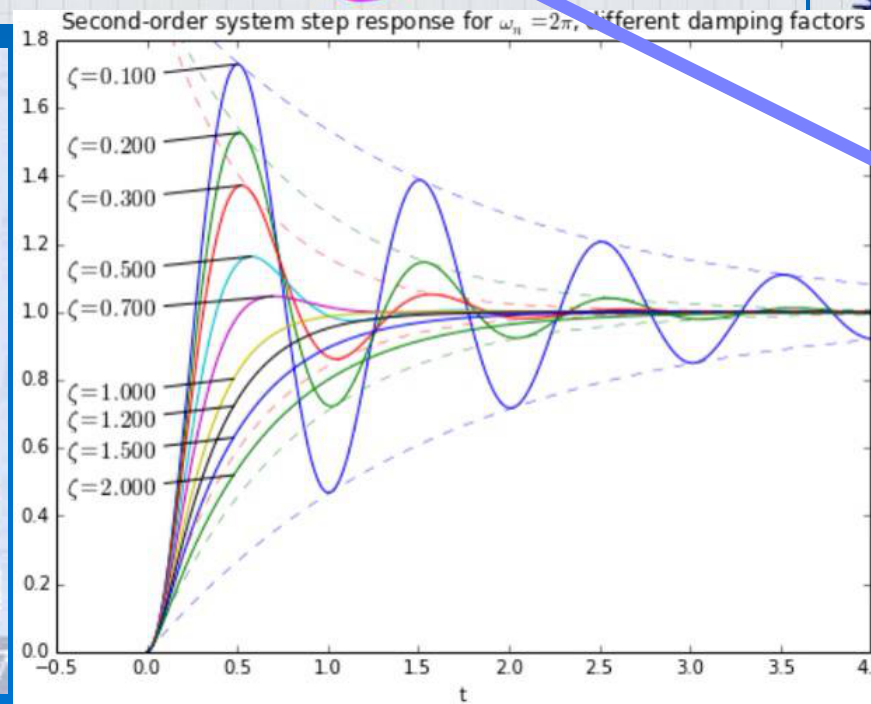
* $\xi > 1$ → teredam lebih (overdamped)
2 pole Real → $G(s) = \frac{K}{(s+a)(s+b)}$

* $\xi = 1$ → teredam kritis (critically damped)
 $G(s) = \frac{K}{(s+a)^2}$ 2 pole Real KEMBAR

* $0 < \xi < 1$ → teredam kurang (under damped)
2 pole Pasangan Komplek Konjugasi
→ $p_{1,2} = -\xi\omega_n \pm j\omega_n\sqrt{1-\xi^2}$

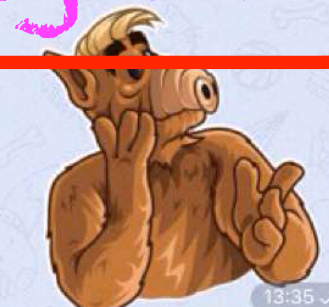
* $\xi = 0$ → Undamped oscillation →
 $G(s) = \frac{K}{s^2 + \omega_n^2}$ 2 pole pasangan imajiner
→ $p_{1,2} = \pm j\omega_n$

* $\xi < 0$ → UNSTABLE

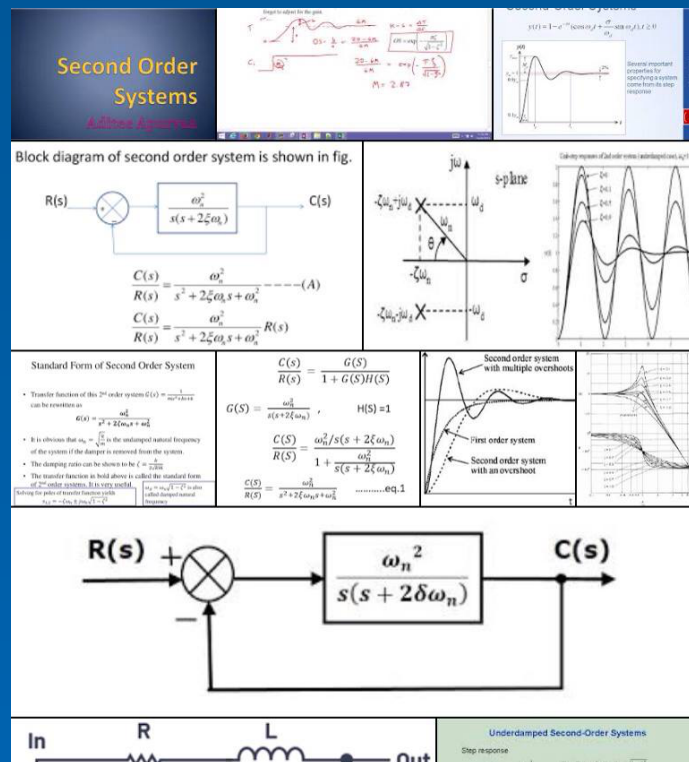


ξ = "zeta"

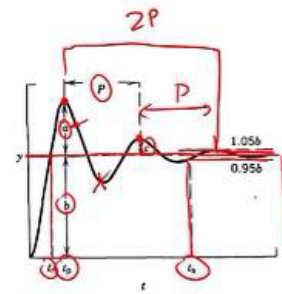
ω_n = "omega-n"



Contoh2 Sistem Order KEDUA



Response of 2nd Order Systems to Step Input ($0 < \zeta < 1$)



- Rise Time:** t_r is the time the process output takes to first reach the new steady-state value.
- Time to First Peak:** t_p is the time required for the output to reach its first maximum value.
- Settling Time:** t_s is defined as the time required for the process output to reach and remain inside a band whose width is equal to $\pm 5\%$ of the total change in y . The term 95% response time sometimes is used to refer to this case. Also, values of $\pm 1\%$ sometimes are used.
- Overshoot:** $OS = a/b$ (% overshoot is $100a/b$).
- Decay Ratio:** $DR = c/a$ (where c is the height of the second peak).
- Period of Oscillation:** P is the time between two successive peaks or two successive valleys of the response.

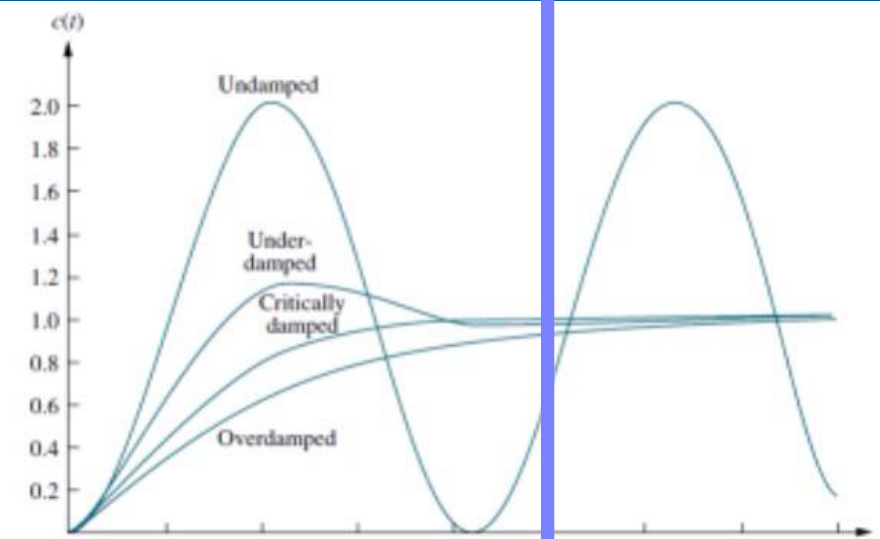
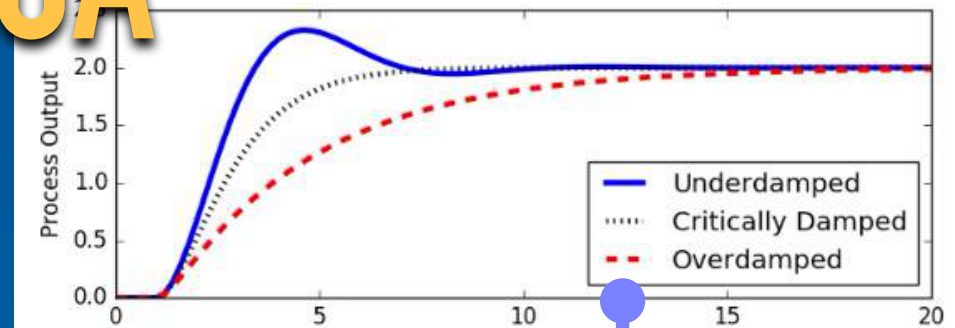


FIGURE 4.10 Step responses for second-order system damping cases

Tentukan tanggapan denyut dari

$$* G(s) = \frac{10}{s^2 + 4s + 4} \rightarrow \zeta = 1 \quad \checkmark$$

$$* G(s) = \frac{10}{s^2 + 8s + 4} \rightarrow \zeta > 1 \quad \checkmark$$

$$* G(s) = \frac{10}{s^2 + 5s + 4} \rightarrow 0 < \zeta < 1 \quad \checkmark$$

$$* G(s) = \frac{10}{s^2 + 4} \rightarrow \zeta = 0 \quad \checkmark$$

Note: Gunakan Tabel Laplace $\Rightarrow$

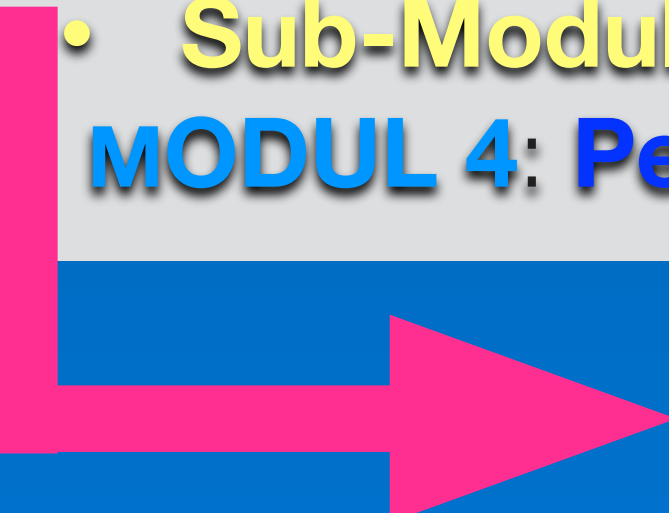
ξ = "zeta"

ω_n = "omega-n"

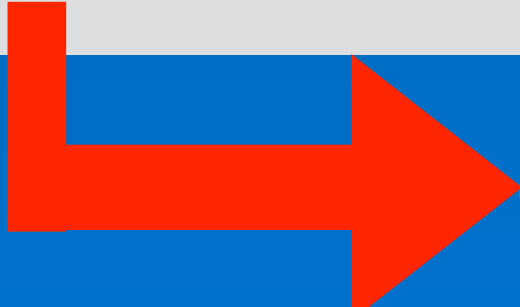


MODUL PEMBELAJARAN

- **MODUL 0: PENGANTAR KULIAH**
- **MODUL 1: Pengenalan SISTEM KENDALI**
- **MODUL 2: Alat-alat Matematik**
 - Sub-MODUL 2A: **Bagan Kotak** dan **Aljabar**-nya
 - Sub-MODUL 2B: **Nisbah-Alih** dan **Transformasi Laplace**
- **MODUL 3: Istilah-istilah Khusus**
 - Sub-Modul 3A: **KONFIGURASI DASAR**
 - Sub-Modul 3B: **Isyarat-isyarat TEST**
 - Sub-Modul 3C: **ORDER, Pole** dan **Zero**
- **MODUL 4: Pengantar Kestabilan**



MIDTEST



UJIAN FINAL

SELAMAT BELAJAR

Semoga SUKSES meraih PRESTASI!

